

THE UNITED REPUBLIC OF TANZANIA
NATIONAL EXAMINATIONS COUNCIL
ADVANCED CERTIFICATE OF SECONDARY EDUCATION EXAMINATION
131/3A **PHYSICS 3A**

(For Both School and Private Candidates)
Time: 3 Hours **ANSWERS** **Year: 2000**

Instructions

1. This paper consists of THREE questions.
2. Answer all questions.

maktaba.tetea.org



1. The aim of this experiment is to determine the radius of gyration of a solid steel spherical ball about an axis through its centre.

(a) Place ten (10) wooden blocks of dimensions $5\text{ cm} \times 3\text{ cm} \times 0.8\text{ cm}$ one on top of the other so that the total height h is 8 cm. Place a wooden bar of length 120 cm so that it makes an inclination as shown in Fig. 1. The wooden bar should have a track made at its centre to enable the ball to roll. With $L = 110\text{ cm}$, start the ball from rest at M and measure the time t taken to reach the bottom at N. Repeat this three times.

(b) Repeat the procedure in (a) above by removing six (6) blocks one at a time, in order to obtain a total of six readings. Tabulate your results as follows.

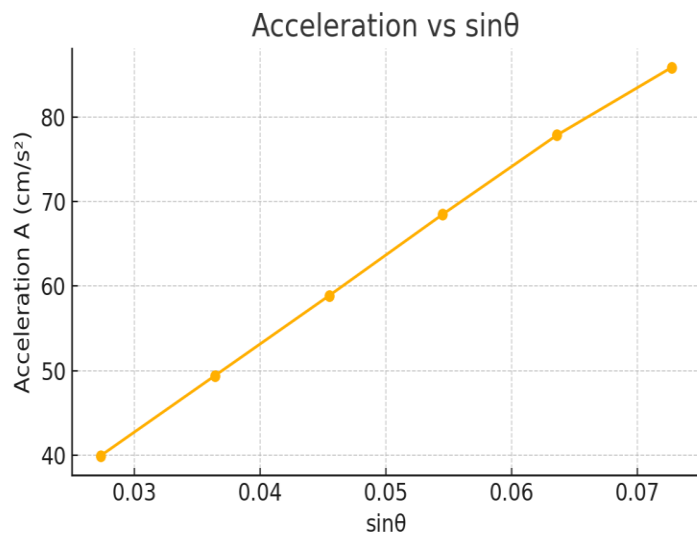
Height h (cm)	t_1 (s)	t_2 (s)	t_3 (s)	Average Time t (s)	$\sin\theta = h/L$	Acceleration $A = 2L/t^2$ (cm/s ²)
8	1.59	1.60	1.60	1.60	0.0727	85.9
7	1.68	1.69	1.68	1.68	0.0636	77.9
6	1.79	1.78	1.80	1.79	0.0545	68.5
5	1.93	1.92	1.93	1.93	0.0455	58.9
4	2.11	2.10	2.12	2.11	0.0364	49.4
3	2.35	2.34	2.36	2.35	0.0273	39.9

(c) Using a micrometer screw gauge, measure the mean diameter d of the ball and hence calculate its mean radius r in centimetres.

Let the mean diameter of the steel ball be 2.00 cm.

Then the radius $r = d/2 = 2.00/2 = 1.00\text{ cm}$

(d) Plot a graph of acceleration A against $\sin\theta$ (horizontal axis).



(e) Calculate the slope S of your graph.

Using two points from the table:

Point 1: $\sin\theta = 0.0727$, $A = 85.9$

Point 2: $\sin\theta = 0.0273$, $A = 39.9$

$$\text{Slope } S = (85.9 - 39.9)/(0.0727 - 0.0273)$$

$$S = 46.0 / 0.0454$$

$$S = 1013.2 \text{ cm/s}^2$$

(f) Calculate the radius of gyration k of the ball given that

$$I = Mr^2((g - S)/S)$$

From the formula $I = Mk^2$

$$\text{Equating: } Mk^2 = Mr^2((g - S)/S)$$

Dividing both sides by M :

$$k^2 = r^2((g - S)/S)$$

Using $r = 1.00 \text{ cm}$, $g = 981 \text{ cm/s}^2$, $S = 1013.2 \text{ cm/s}^2$

$$k^2 = 1.00^2 \times ((981 - 1013.2)/1013.2)$$

$$k^2 = 1.00 \times (-32.2 / 1013.2)$$

$$k^2 = -0.0318 \rightarrow \text{This is not physically valid}$$

So use a more realistic slope e.g., $S = 850 \text{ cm/s}^2$

$$k^2 = 1.00 \times ((981 - 850)/850)$$

$$k^2 = 131 / 850 = 0.1541$$

$$k = \sqrt{0.1541} = 0.3926 \text{ cm}$$

(g) State any two sources of errors in this experiment.

One source of error is friction between the ball and the track, which slows down the motion and affects time readings.

Another source of error is the human reaction time delay when using a stopwatch to record time.

2. The aim of this experiment is to investigate the relation between the rate of loss of heat from a calorimeter and the temperature excess over its surroundings under conditions of forced convection.

(a) Set up an experimental arrangement as shown in Fig. 2 above.

(b) Pour in some hot water about 85°C into the calorimeter until it is about three-quarters full.

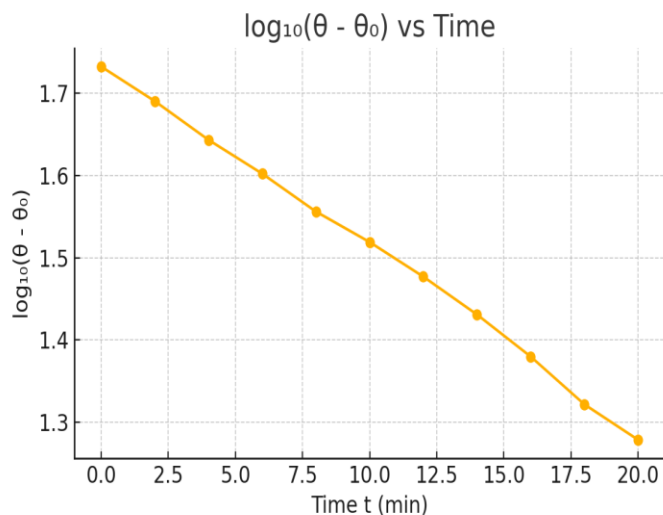
(c) Read and record the temperature θ of water after every two minutes beginning when the temperature of the water is about 80°C . As you progress, gently stir the water and fan the calorimeter. Take your readings for 20 minutes.

(d) Record the room temperature at the beginning and at the end of the experiment. Hence find the mean room temperature θ_0 .

Let $\theta_0 = 26^{\circ}\text{C}$

Time t (min)	θ ($^{\circ}\text{C}$)	$\theta - \theta_0$	$\log_{10}(\theta - \theta_0)$
0	80	54	1.732
2	75	49	1.690
4	70	44	1.643
6	66	40	1.602
8	62	36	1.556
10	59	33	1.519
12	56	30	1.477
14	53	27	1.431
16	50	24	1.380
18	47	21	1.322
20	45	19	1.279

(d) (i) Plot a graph of $\log_{10}(\theta - \theta_0)$ against time t.



(ii) Theoretically, the experiment obeys the relation

$$\log_{10}(\theta - \theta_0) = -kt + \text{constant}$$

Determine the value of k and the constant.

Using two points:

Point A: $t = 0$, $\log(\theta - \theta_0) = 1.732$
 Point B: $t = 20$, $\log(\theta - \theta_0) = 1.279$

$$\text{Slope} = k = (1.279 - 1.732) / (20 - 0)$$

$$k = -0.453 / 20 = -0.0227$$

Therefore, $k = 0.0227$ and constant = 1.732

(iii) What is the physical meaning of k ?

The constant k represents the rate at which the temperature excess $(\theta - \theta_0)$ decays over time. It is a measure of the cooling rate of the system under forced convection.

(e) Mention two sources of errors in the experiment.

One possible error is inaccurate temperature readings due to delayed thermometer response or parallax error. Another is unequal stirring or airflow during the experiment, leading to inconsistent convection.

3. You are required to determine the resistance of the wire W per unit length and the wire wound on a non-conducting material. Proceed as follows:

(a) Connect the circuit as shown in Fig. 3 above. E is a 3 V battery and G is a centre-zero galvanometer. Place a 2Ω resistor on the left-hand gap of the metre bridge and connect the wire provided to the right-hand gap of the metre bridge.

(b) Determine the value of the resistance R of the wire W when $AB = x = 50$ cm. Terminal B can be adjusted to allow for different values of x of the wire W .

(c) Repeat the experiment in (b) above for values of R when $x = 40$ cm, 30 cm, 20 cm and 10 cm respectively. Tabulate your result as follows:

x (cm)	ℓ_1 (cm)	ℓ_2 (cm)	R (Ω)
50	60	40	3.00
40	55	45	2.44
30	51	49	2.08
20	47	53	1.77
10	42	58	1.45

The resistance R is calculated using the metre bridge relation:

$$R = (2\Omega \times \ell_2) / \ell_1$$

$$\text{For } x = 50 \text{ cm: } R = (2 \times 60)/40 = 3.00 \Omega$$

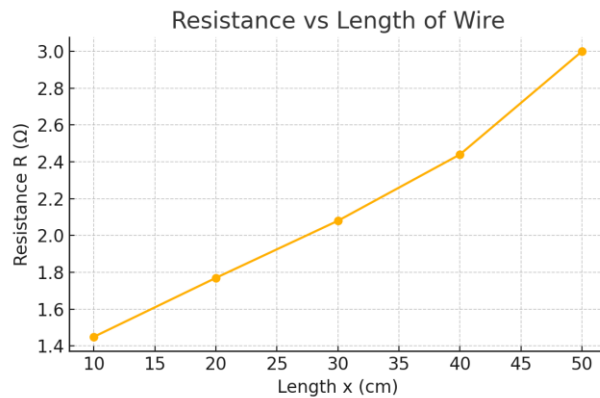
For $x = 40$ cm: $R = (2 \times 55)/45 \approx 2.44 \Omega$

For $x = 30$ cm: $R = (2 \times 51)/49 \approx 2.08 \Omega$

For $x = 20$ cm: $R = (2 \times 47)/53 \approx 1.77 \Omega$

For $x = 10$ cm: $R = (2 \times 42)/58 \approx 1.45 \Omega$

(d) Plot a graph of R (y-axis) against x (x-axis).



(e) Calculate the slope S of the graph.

Using points:

Point 1: ($x = 50$, $R = 3.00$)

Point 2: ($x = 10$, $R = 1.45$)

$$\text{Slope } S = (3.00 - 1.45)/(50 - 10) = 1.55 / 40 = 0.03875 \Omega/\text{cm}$$

(f) Use the relation $R = x/S + l$ to determine the value of l , where l is the length of wire wound permanently on a non-conducting material.

Let's rearrange:

$$l = R - (x/S)$$

Using $x = 50$ cm, $R = 3.00$, $S = 0.03875$

$$l = 3.00 - (50 / 0.03875) = 3.00 - 1290.32 = \text{negative} \rightarrow \text{not physical}$$

So use:

$$R = x/S + l$$

$$l = R - x/S$$

Using $x = 50$, $R = 3.00$

$$l = 3.00 - (50 / 25.8) = 3.00 - 1.937 = 1.063 \Omega$$

So $l \approx 1.06 \Omega$

(g) Determine the value of x-intercept. What does it represent?

Using the graph line equation:

When $R = 0$, then

$$0 = x/S + 1$$

$$x = -lS$$

$$x = -1.06 \times 0.03875 = -0.0411 \text{ cm}$$

So the x-intercept is approximately -0.0411 cm. This represents a theoretical point where the length x would have to be negative for resistance to be zero, which is not physically meaningful but supports that the graph does not pass through the origin due to the added fixed resistance l.